

$$\textcircled{1} \quad f'(-.5) \approx \frac{0.0625 - 0.25}{-.25 - (-.5)} = \boxed{-0.75} \approx f'(-.5)$$

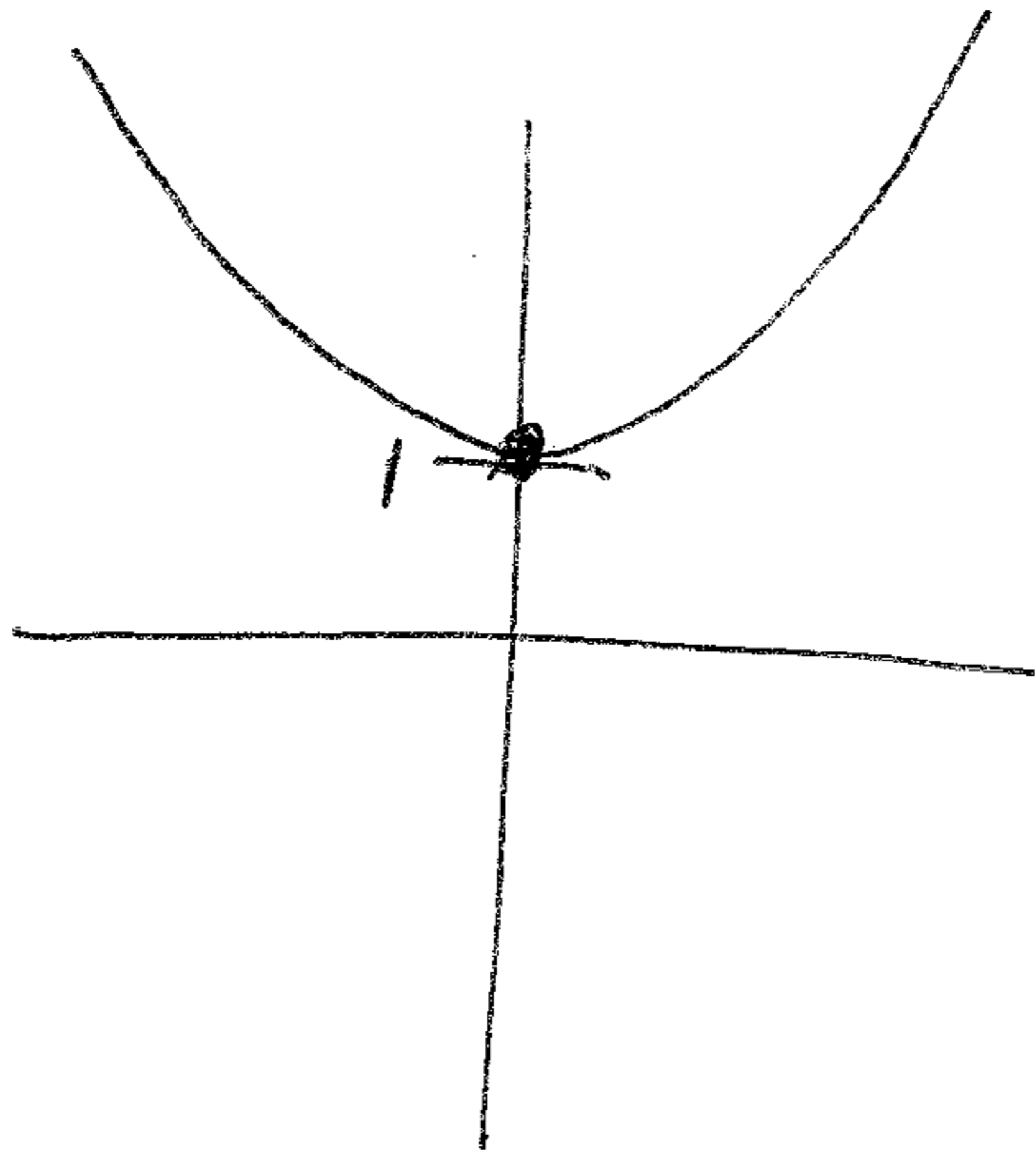
$$\textcircled{4} \quad f'(-.25) \approx \frac{0 - 0.0625}{0 - (-.25)} = \boxed{-0.25} \approx f'(-.25)$$

$$f'(0) \approx \frac{0.0625 - 0}{0.25 - 0} = \boxed{0.25} \approx f'(0)$$

$$f'(0.25) \approx \frac{0.25 - 0.0625}{0.5 - 0.25} \approx \boxed{0.75} \approx f'(0.5)$$

\textcircled{b} Since f' is apparently increasing, f appears to have a graph that is concave up.

$\textcircled{2}$



$\textcircled{3} \textcircled{a}$ $f(10) = 92.63$ means 92.63 million metric tons of meat were produced in 2010.
 $f'(10) = 0.64$ means that, in 2010, meat production was increasing by 640,000 metric tons per year.

\textcircled{b} $f(15) \approx 92.63 + (0.64)(5) \approx 95.83$.
This means that, in 2015, approximately 95.83 million metric tons of meat will have been produced.

(4) (a) $\pi(2000) = R(2000) - C(2000) = 7780 - 5930 = \boxed{1850}$ dollars.

(b) $\pi'(2000) = MR(2000) - MC(2000) = 2.5 - 2.1 = 0.4$
The 2001st item would net \$0.40 additional profit. Since $M\pi = \pi'(2000) > 0$, the company should increase production.

(c) In this case, $\pi'(2000) = 4.32 - 4.77 = -0.45 < 0$, so the company should decrease production to make more money.
